

UNIVERSITY OF THESSALY SCHOOL OF ENGINEERING

INTRODUCTION

Vendor Managed Inventory problem is considered, where a supplier manages the inventory level of the retailers using Transshipment as a recourse action when **Demand Uncertainty** leads to shortages. A Two – stage stochastic programming model is introduced, while an L - Shaped algorithm is developed to solve the problem exactly.

Inventory

BACKGROUND

- IRP was introduced 30 years ago (Bell et al. 1983).
- First exact algorithm was developed by Arhetti et al. (2007) using Branch and Cut scheme.
- Coelho and Laporte (2012) introduced the concept of transshipment in the context of inventory routing problem.
- Campbell et al. (1998) set the basis for the rolling horizon framework.
- Kleywegt et al. (2004) formulated the SIRP as a Marcov Decision Process over an infinite horizon.
- Hvattum et al. (2009) presented a solution framework based on scenario tree.
- Solyali et al. (2012) introduced the robust inventory routing to deal with demand uncertainty.
- Adulyazak, Cordeau & Jans (2012) used the Bender Decomposition to incorporate demand uncertainty in the context of Production Routing Problem.

DEPARTMENT OF MECHANICAL ENGINEERING

Evangelia Chrysochoou

PhD Candidate, Research Associate CERTH/HIT **Prof. Athanasios Ziliaskopoulos**

Supervisor, President & CEO at Greek Railway Dr. Athanasios Lois

IT Consultant, System Optimization Laboratory

OBJECTIVE

Minimize the distribution and inventory cost during the planning horizon as well as the expected lateral transshipment cost of recourse actions, in order to avoid stock – out occurrence at any retailer.

FIRST STAGE DECISIONS

When to serve a retailer.

2. How much to deliver to retailer when served. 3. Which delivery route to use.

SECOND STAGE DECISIONS

Which retailer will facilitate the transshipment process.

How much to tranship to avoid shortages.

CONTRIBUTION

Introduce a formulation for the SIRP as a stochastic programming model with recourse

- using transshipment as recourse action.
- Introduce new valid inequalities to enhance the computational process of the optimal transported quantities under Maximum Level
- policy.

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REFERENCE

Adulyasak Y., J.-F. Cordeau & R. Jans 2012. "Benders Decomposition for Production Routing under Demand Uncertainty." GERAD Tech Rep. G-2012-

Arhetti C. et al. 2007. "A Branch and Cut algorithm for the vendor managed inventory routing problem." Transportation Science, 41 (3): 382 – 391 Bertazzi L. et al. 2013. "A stochastic inventory routing problem with stock-out." Transportation Research Part C: Emerging Technologies, 27, 89-¦107

Coelho L. C., J.-F. Cordeau, & G. Laporte. 2014. "Thirty years of Inventory Routing." Transportation Science, Vol. 48(1), pp.1-19. Solyali O. J.- F. Cordeau & G. Laporte. 2012. "Robust inventory routing under demand uncertainty." Transportation Science, Vol. 46(3), pp. 327–340.



